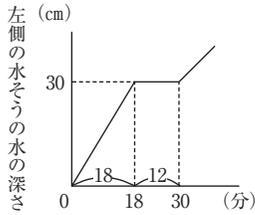


$$27 \times \frac{30}{30} = 27, \quad 3 + 27 + 27 = \underline{57(\text{分})}$$



水を入れ始めてからの時間

図1

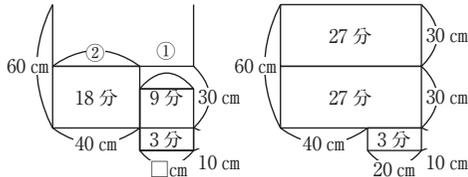


図2

図3

112 水深とグラフ2 おもりの入った容器

- 1 (1) 3 cm (2) 10 cm (3) 2 cm
 2 (1) B (2) (ア) 12 (イ) 8
 (ウ) 9.75 (エ) 4 (a) 112 (b) 120

考え方と解き方

- 1 (1) $1 \times (2 \times 60) = PQ \times 8 \times 5$ より,
 $PQ = 120 \div 40 = \underline{3(\text{cm})}$
 (2) $5 \times \frac{12}{6} = \underline{10(\text{cm})}$
 (3) $QR = 3 \times \frac{4}{2} = 6(\text{cm})$
 $RS = 15 - (3 + 6) = 6(\text{cm})$
 $6.2 \times 60 = 372, \quad 6 \times 8 \times 10 = 372$
 $= 108 = \bigcirc \times \bigcirc \times 3 \times 9, \quad \bigcirc \times \bigcirc = 108 \div 27$
 $= 4 = 2 \times 2$ より, $\underline{2 \text{ cm}}$

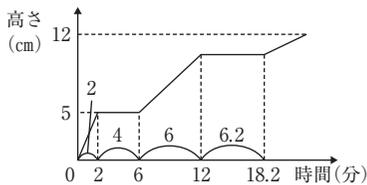


図1

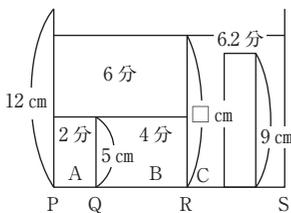
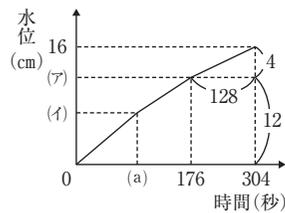


図2

- 2 (1) 下の図1より, B
 (2) グラフと図1より, (ア) = 12
 $8 \times (304 - 176) \div (16 - 12) = 256(\text{cm}^3)$ …容器
 の底面積
 これより, 立体Bの体積は,
 $256 \times 12 - 8 \times 176 = 1664(\text{cm}^3)$
 $12 \times 12 \times 12 - 1664 = 64 = 4 \times 4 \times 4$ より,
 立方体Aの1辺の長さは4(cm)
 図1, 2より, (エ) = 4, (イ) = $12 - 4 = \underline{8}$
 (ウ) = $(8 \times 304 + 64) \div 256 = \underline{9.75}$
 (a) = $(256 - 12 \times 12) \times 8 \div 8 = \underline{112}$
 (b) = $(256 - 4 \times 4) \times 4 \div 8 = \underline{120}$



グラフ

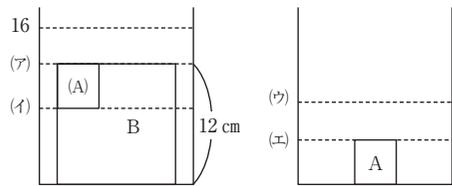


図1

図2

113 水深とグラフ3 いろいろな問題

- 1 (1) 320 (2) ア 25 イ 89 (3) 120
 2 (1) 1440 cm^3 (2) 5 cm (3) 8 秒

考え方と解き方

- 1 (1) $25 \times 30 \times 32 \div 75 = \underline{320(\text{cm}^3/\text{分})}$
 (2) 右のグラフ
 より,
 1回目 →
 $75 \times \frac{4}{12}$
 $= 25(\text{分後})$
 2回目 →
 $21 \times \frac{4}{12} = 7$
 $96 - 7 = 89(\text{分後})$ より,
ア 25 イ 89
 (3) $96 \times \frac{40}{32} = \underline{120(\text{分後})}$
 2 (1) $10 \times 12 \times (32 - 20) = \underline{1440(\text{cm}^3)}$

